



Eurocodes

Background and Applications

Design of **Steel Buildings**
with worked examples



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**Basis of Design,
a case study building**

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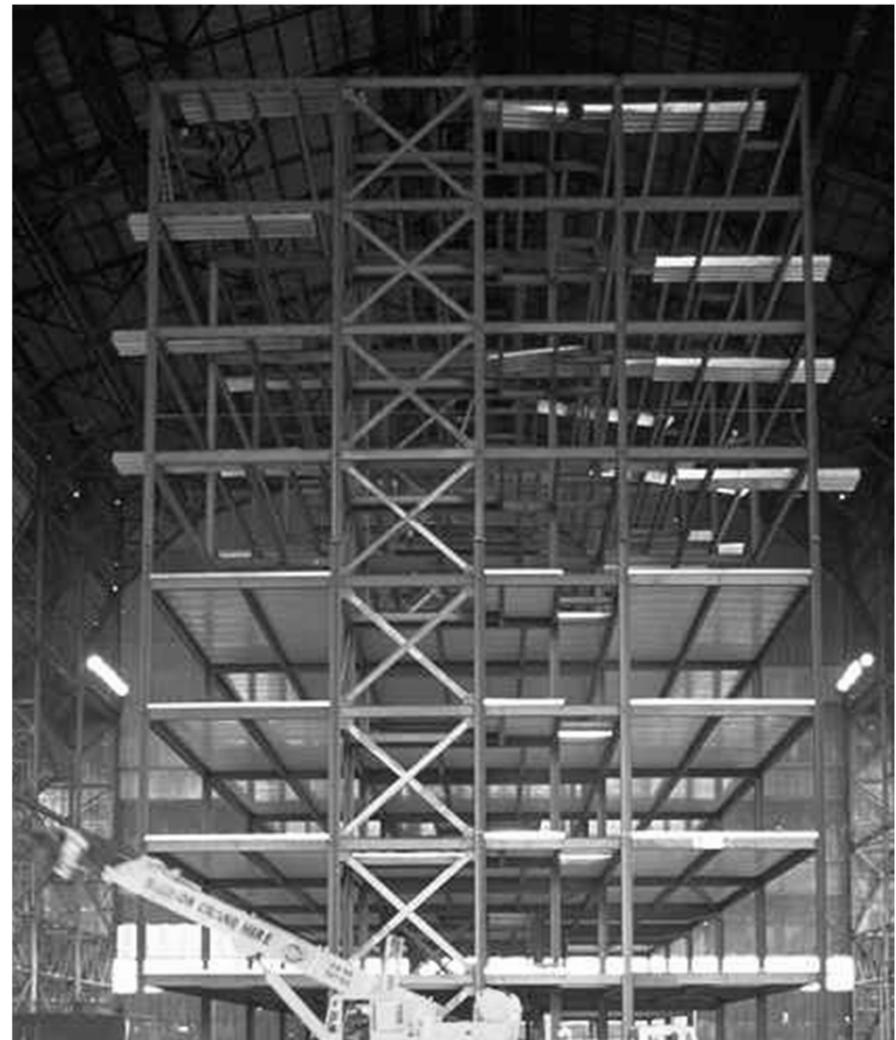
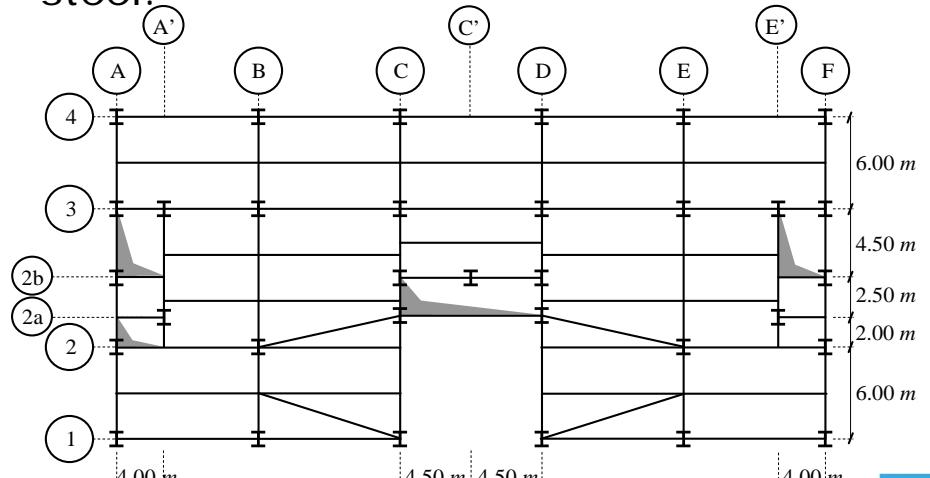
Contents

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Case-study building

Cardington Building, UK

Total area of 21 m by 45 m and total height of 33 m (8 storeys). 5 bays, each 9 m long by 3 bays of 6 m, 9 m and 6 m. The height of the first storey is 4.335 m from the ground floor to the top-of-steel height. All the other storeys have a height of 4.135 m from top-of-steel to top-of-steel.



Building – master example (Cardington - UK)



Global Analysis: case-study building

Geometric Characteristics of Steel Members

Beams	Cross-section	Steel grade
A1 – F1, A4 – F4	IPE 400	S 355
A1 – A4, B1 – B2, B3 – B4, C2a – C4, D2a – D4, E1 – E2, E3 – E4, F1 – F4	IPE 400	S 355
C1 – C2a, D1 – D2a	IPE 600	S 355
B2 – B3, E2 – E3	IPE 600	S 355
A2 – B2, A2a – A'2a, A2b – A'2b, A3 – A'3, A'2 – A'3	IPE 400	S 355
E'2a – E'3, E'2b – F2b, E'3 – F3	IPE 400	S 355
C2a – D2a, C2b – D2b, C3 – D3	IPE 400	S 355
All others secondary beams	IPE 360	S 355

Geometric characteristics of the beams (1st floor)

Beams	Cross-section	Steel grade
A1 – F1, A4 – F4	IPE 400	S 355
A1 – A4, B1 – B2, B3 – B4, C1 – C4, D1 – D4, E1 – E2, E3 – E4, F1 – F4	IPE 400	S 355
B2 – B3, E2 – E3	IPE 600	S 355
A2 – B2, A2a – A'2a, A2b – A'2b, A3 – A'3, A'2 – A'3	IPE 400	S 355
E'2a – E'3, E'2b – F2b, E'3 – F3	IPE 400	S 355
C2a – D2a, C2b – D2b, C3 – D3	IPE 400	S 355
All others secondary beams	IPE 360	S 355

Geometric characteristics of the beams (3rd to 8th floors)

Beams	Cross-section	Steel grade
A1 – F1, A4 – F4	IPE 400	S 355
A1 – A4, B1 – B2, B3 – B4, C2a – C4, D2a – D4, E1 – E2, E3 – E4, F1 – F4	IPE 400	S 355
C1 – C2a, D1 – D2a	2 x HEA 700	S 355
B2 – B3, E2 – E3	IPE 600	S 355
A2 – B2, A2a – A'2a, A2b – A'2b, A3 – A'3, A'2 – A'3	IPE 400	S 355
E'2a – E'3, E'2b – F2b, E'3 – F3	IPE 400	S 355
C2a – D2a, C2b – D2b, C3 – D3	IPE 400	S 355
All others secondary beams	IPE 360	S 355

Geometric characteristics of the beams (2nd floor)

Columns	Ground floor – 2 nd floor	2 nd floor – 5 th floor	5 th floor – 8 th floor
B2, C2, D2, E2, C2b, C'2b, D2b, B3, C3, D3, E3	HEB 340	HEB 320	HEB 260
	Ground floor – 4 th floor	4 th floor – 8 th floor	
B1, C1, D1, E1, A2, F2, A3, F3, B4, C4, D4, E4, A'2a, A2b, A'3, E'2a, F2b, E'3	HEB 320	HEB 260	
	Ground floor – 8 th floor		
A1, A4, F1, F4	HEB 260		

Geometric characteristics of the columns

Global Analysis: case-study building

General safety criteria, actions and combinations of actions

Action no.	Description	Type	Value
LC1	Self-weight of structural elements	Permanent action	varies
LC2	Imposed load on office buildings (Cat. B)	Variable action	$q_k^1 = 3.0 \text{ kN/m}^2$
LC3	Movable partitions	Variable action	$q_k^2 = 0.5 \text{ kN/m}^2$
LC4	Wind direction $\theta = 0^\circ$	Variable action	varies (see Figure 4.40)
LC5	Wind direction $\theta = 90^\circ$	Variable action	varies (see Figure 4.41)

SLS

$$E_d7 = 1.00 \times LC1 + 0.5 \times (LC2 + LC3).$$

$$E_d8 = 1.00 \times LC1 + 0.2 \times LC4.$$

$$E_d9 = 1.00 \times LC1 + 0.2 \times LC5.$$

$$E_d10 = 1.00 \times LC1 + 0.2 \times LC4 + 0.3 \times (LC2 + LC3).$$

$$E_d11 = 1.00 \times LC1 + 0.2 \times LC5 + 0.3 \times (LC2 + LC3)$$

$$E_d12 = LC1 + 0.5 \times (LC2 + LC3).$$

$$E_d13 = LC1 + 0.2 \times LC4 + 0.3 \times (LC2 + LC3)$$

$$E_d14 = LC1 + 0.2 \times LC5 + 0.3 \times (LC2 + LC3)$$

ULS

i) Combination 1

$$E_d1 = 1.35 \times LC1 + 1.5 [(LC2 + LC3) + 0.6 \times LC4]$$

ii) Combination 2

$$E_d2 = 1.35 \times LC1 + 1.5 [(LC2 + LC3) + 0.6 \times LC5]$$

iii) Combination 3

$$E_d3 = 1.00 \times LC1 + 1.5 \times LC4$$

iv) Combination 4

$$E_d4 = 1.00 \times LC1 + 1.5 \times LC5$$

v) Combination 5

$$E_d5 = 1.35 \times LC1 + 1.5 [LC4 + 0.7 \times (LC2 + LC3)]$$

vi) Combination 6

$$E_d6 = 1.35 \times LC1 + 1.5 [LC5 + 0.7 \times (LC2 + LC3)]$$

Global Analysis: case-study building

Structural analysis

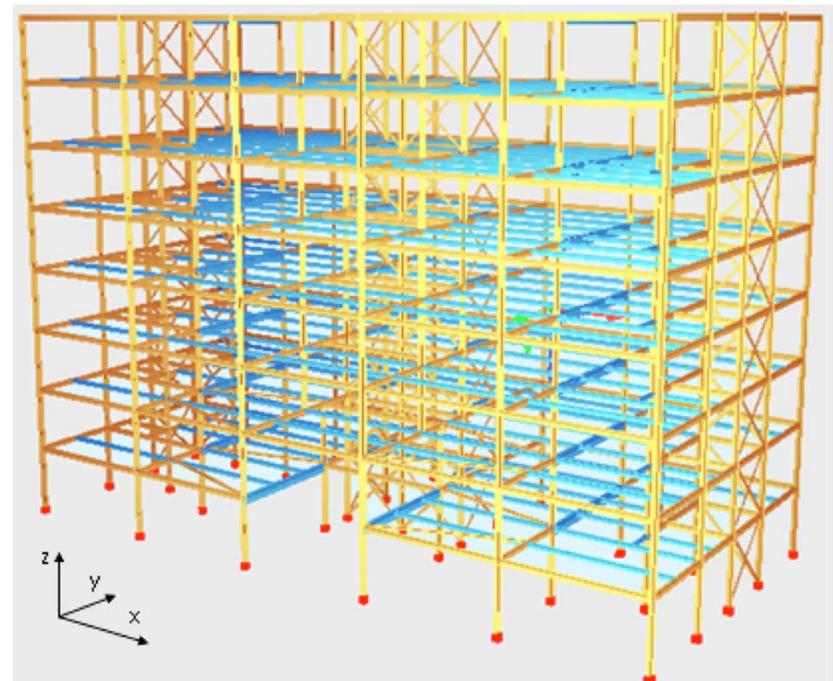
Linear elastic analysis

Susceptibility to 2nd order effects: elastic critical loads

	α_{cr}^1	α_{cr}^2	α_{cr}^3	α_{cr}^4	α_{cr}^5
Combination 1	7.96	8.22	8.28	8.40	8.67
Combination 2	8.01	8.08	8.48	8.57	8.66
Combination 3	21.11	25.15	28.28	28.62	29.38
Combination 4	13.14	14.21	18.56	18.84	19.98
Combination 5	9.87	10.16	10.23	10.39	10.62
Combination 6	8.58	9.37	10.07	10.14	10.17

2nd order elastic analysis

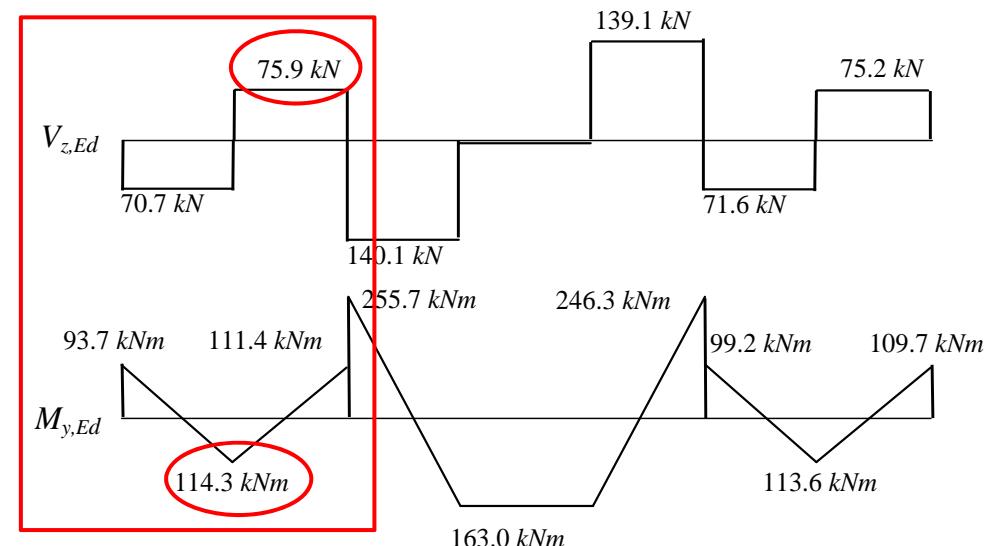
For combinations 1, 2, 5 and 6 the values of α_{cr} are smaller than 10. According to clause 5.2.1, the frame requires a second-order analysis for load combinations 1, 2, 5 and 6.



Global Analysis: case-study building

Results for Beam E1 to E4 (4th floor, combination 1)

The internal forces (neglecting the axial force) are represented in the figure. The design values are $M_{Ed} = 114.3 \text{ kNm}$ and $V_{Ed} = 75.9 \text{ kN}$.



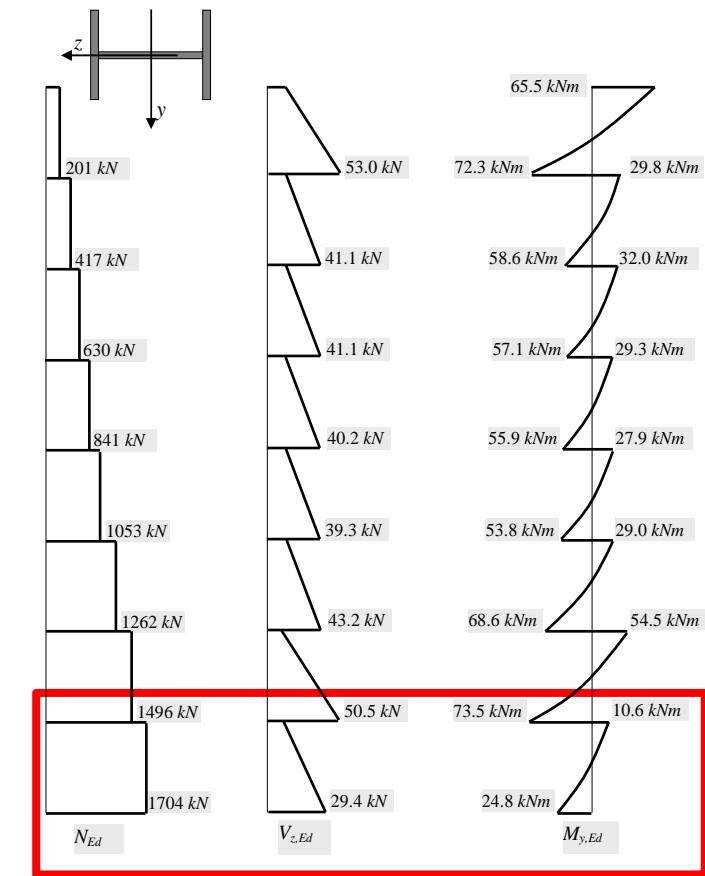
	1 st Order		2 nd Order			
	M_{Ed} (kNm)	N_{Ed} (kN)	M_{Ed} (kNm)	$\Delta (\%)$	N_{Ed} (kN)	$\Delta (\%)$
E1-E2	+114/-106	61	+114/-111	0/4.7	39	-36.1
E2-E3	+168/-269	155	+163/-256	-3.0/-4.8	139	-10.3
E3-E4	+113/-105	61	+114/-110	0.9/4.8	50	-18.0

Global Analysis: case-study building

Results for column E1 (combination 1)

	1 st Order		2 nd Order			
	M_{Ed} (kNm)	N_{Ed} (kN)	M_{Ed} (kNm)	Δ (%)	N_{Ed} (kN)	Δ (%)
1 st floor	25/14	1699	25/11	0/-21.4	1704	+0.3
2 nd floor	62/47	1492	74/55	19.4/17.0	1496	+0.3
3 rd floor	69/28	1261	69/29	0/3.6	1262	+0.1
4 th floor	51/25	1052	54/28	5.9/12.0	1053	+0.1
5 th floor	53/27	841	56/29	5.7/7.4	841	0
6 th floor	54/29	630	57/32	5.6/10.3	630	0
7 th floor	55/26	417	59/30	7.3/15.4	417	0
8 th floor	69/63	201	72/66	4.3/4.8	201	0

Design values are: $N_{Ed} = 1704$ kN; $M_{y,Ed} = 24.8$ kNm
at the base cross section.



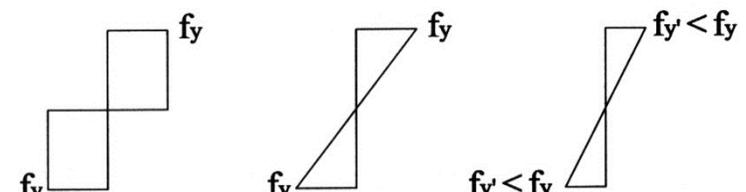
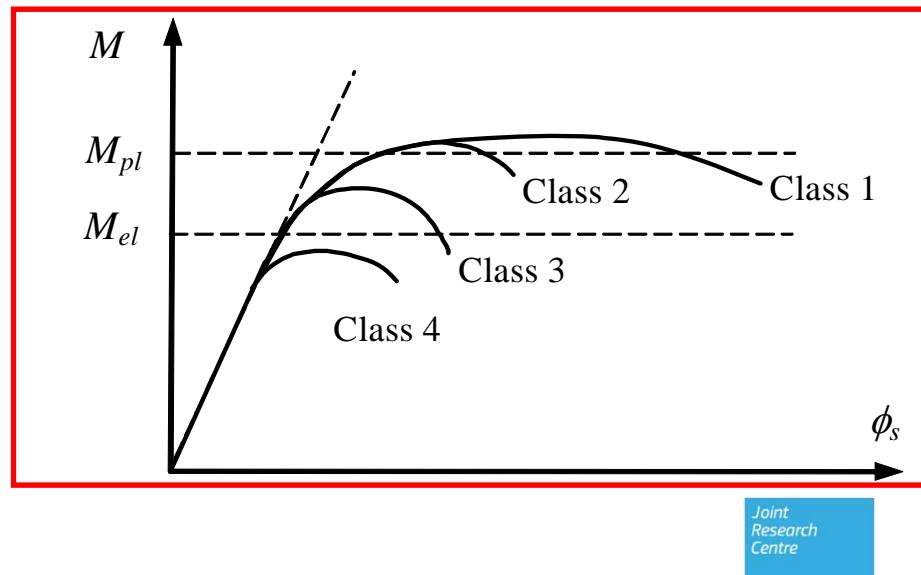
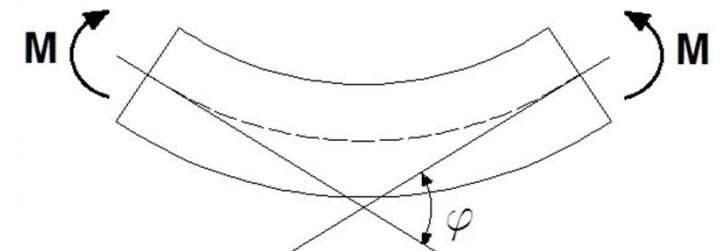
Classification of cross-sections

Class 1: plastic cross-sections

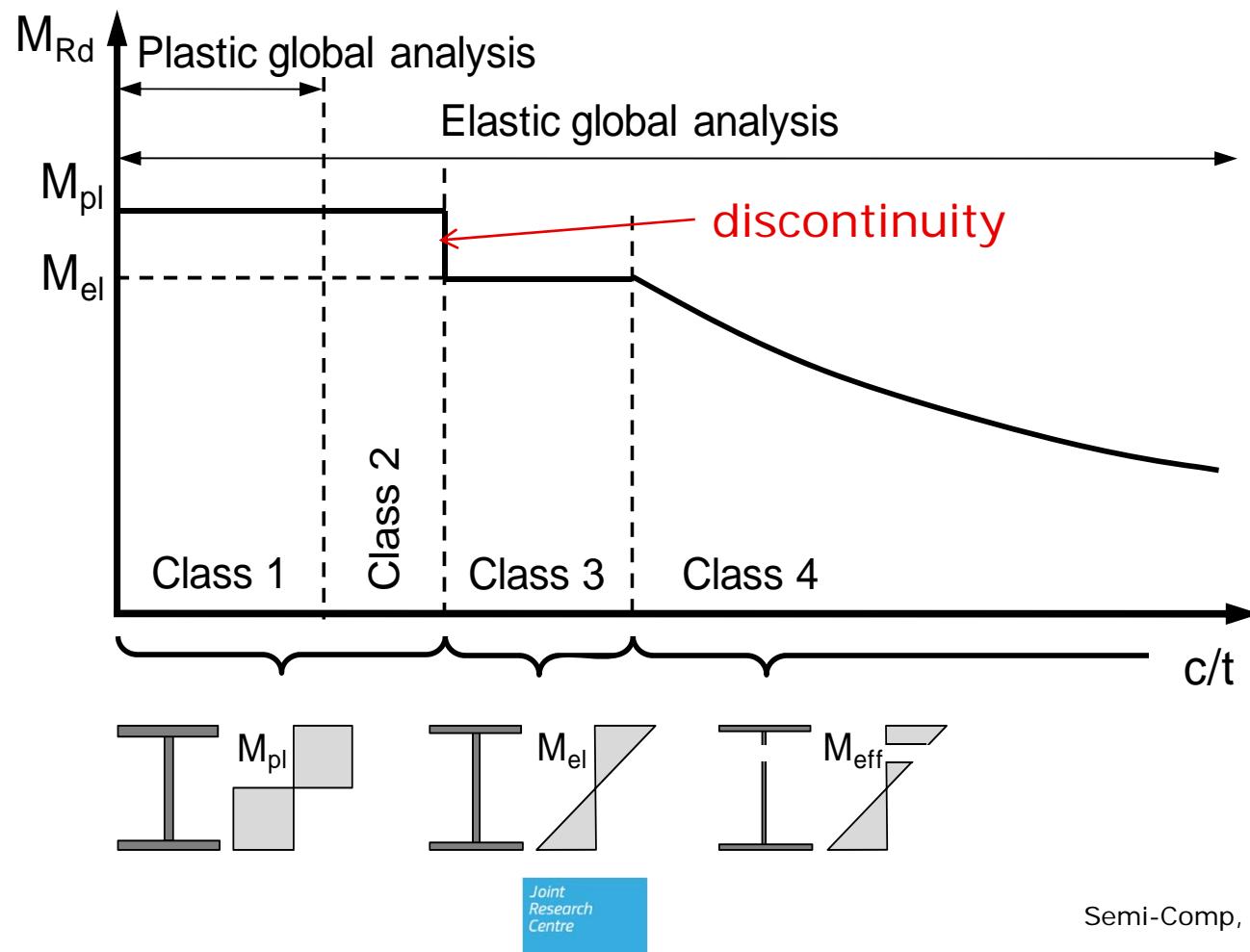
Class 2: compact cross-sections

Class 3: semi-compact cross-sections

Class 4: slender cross-sections



Classification of cross-sections





Classification of cross-sections

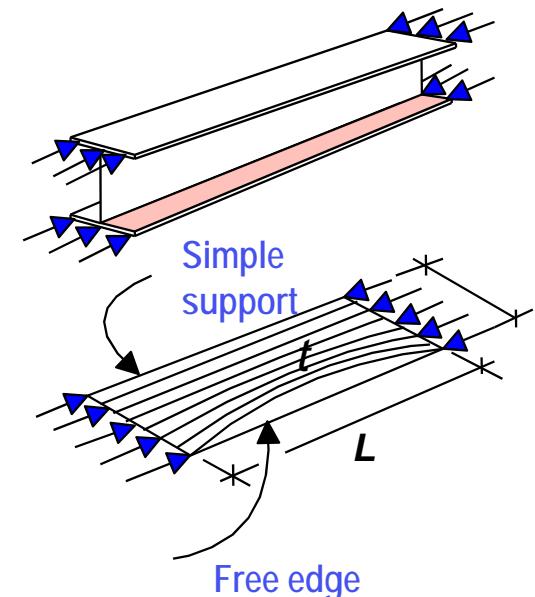
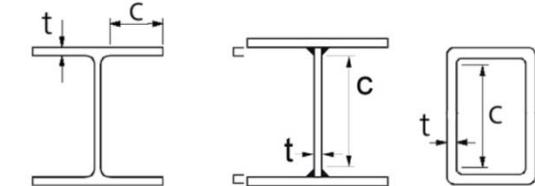
Cross section classification is required for:

- Selection of the global frame analysis:
 - Elastic frame analysis
 - Plastic frame analysis
- Decision about the type of cross-section verification:
 - Elastic verification
 - Plastic verification
 - Effective cross-section properties
- Decision on the member buckling formulae with respect to the degree of local plastic capacity:
 - Plastic interaction: class 1, 2
 - Elastic interaction

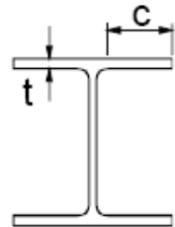
Classification of cross-sections

How to classify a cross-section?

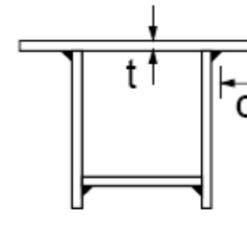
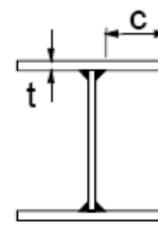
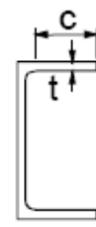
- **Classification** of each plate elements (in full or partial compression) composing the section.
- Compare the **slenderness c/t** with specific limits, established to prevent local plate buckling (Table 5.2 of EC3-1-1).
- **Cross section class** = most unfavourable class of all plate elements (flange or web).
- **Cross section class depend** of the:
 - slenderness c/t ;
 - support conditions (internal or external part);
 - distribution of direct stresses (acting forces);
 - class of steel (higher steel grades sections tend to fall into higher classes).



Outstand flanges



Rolled sections



Welded sections

Plate element classification
acc. to
Table 5.2

Class	Part subject to compression	Part subject to bending and compression	
		Tip in compression	Tip in tension
Stress distribution in parts (compression positive)			
1	$c/t \leq 9\epsilon$	$c/t \leq \frac{9\epsilon}{\alpha}$	$c/t \leq \frac{9\epsilon}{\alpha\sqrt{\alpha}}$
2		10 ϵ	10 ϵ
Stress distribution in parts (compression positive)		Part subject to bending and compression	
3		Tip in compression	Tip in tension
$\epsilon = \sqrt{235/f_y}$			
1	$c/t \leq 9\epsilon$	$c/t \leq \frac{9\epsilon}{\alpha}$	$c/t \leq \frac{9\epsilon}{\alpha\sqrt{\alpha}}$

$$\epsilon = \sqrt{235/f_y}$$

Internal compression parts

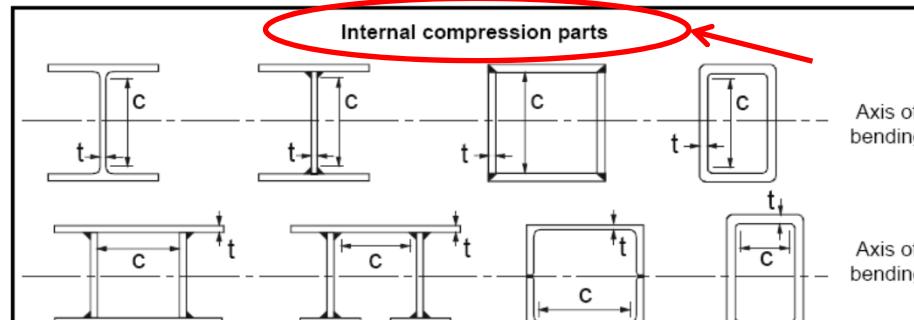
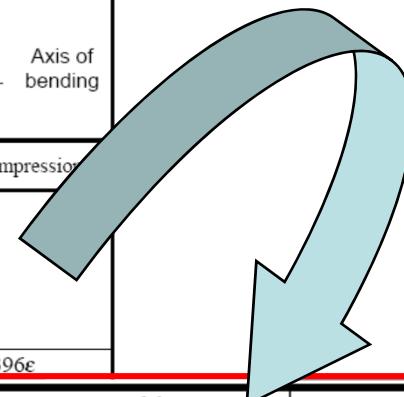


Plate element classification acc. to Table 5.2



Stress distribution in parts (compression positive)

396ε

Class	Part subject to bending	Part subject to compression	Part subject to bending and compression
Stress distribution in parts (compression positive)			

1 $c/t \leq 72\epsilon$

2 $c/t \leq 83\epsilon$

3 $c/t \leq 124\epsilon$

$\epsilon = \sqrt{235/f_y}$

Class

Part subject to bending

Part subject to compression

Part subject to bending and compression

Stress distribution in parts (compression positive)

when $\alpha > 0,5$: $c/t \leq \frac{396\epsilon}{13\alpha - 1}$

when $\alpha \leq 0,5$: $c/t \leq \frac{36\epsilon}{\alpha}$

*) $\psi \leq -1$ applies where either the compression stress $\sigma < f_y$ or the tensile strain $\epsilon_y > f_y/E$



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Thank you for your attention

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