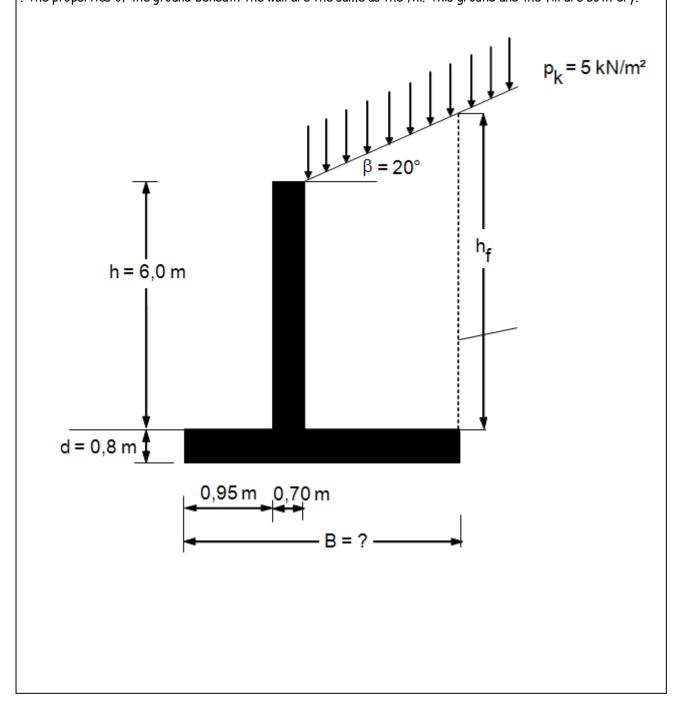
Example JRC-03 T-shaped wall Verification of drained strength (limit state GEO) Design Approach 2*

<u>Design situation</u>

Consider a T-shaped gravity wall with retained height H = 6.0m that is required to support granular fill with characteristic weight density $\gamma_{k} = 19 \frac{kN}{m^{3}}$ and drained strength parameters $\varphi_{k} = 32.5^{\circ}$ and $c'_{k} = 0$ kPa. A variable surcharge $p_{k} = 5$ kPa acts behind the wall on ground that rises at an angle $\beta = 20^{\circ}$ to the horizontal. The dimensions of the wall are as follows: overall breadth (assumed) B = 3.9m; base thickness $t_{b} = 0.8m$; toe width $b_{t} = 0.95m$; thickness of wall stem $t_{s} = 0.7m$. The weight density of reinforced concrete is $\gamma_{c,k} = 25 \frac{kN}{m^{3}}$. The properties of the ground beneath the wall are the same as the fill. This ground and the fill are both dry.



<u>Geometry</u>

Width wall heel is:

 $b_{heel} = B - b_t - t_s = 2.25 \,\mathrm{m}$

Height of fill above wall heel is:

 $h_{f} = H + b_{heel} \times tan(\beta) = 6.82 m$

Height of wall above wall heel including the thickness of base is:

 $H_{heel} = h_f + t_b = 7.62 \, \text{m}$

Depth to base of footing is:

 $d = t_b = 0.8 \text{ m}$

Material properties

Characteristic materialk properties are used throughout this calculation

<u>Actions</u>

Characteristic self-weight of wall (permanent action) is:

wall stem
$$W_{stem,Gk} = \gamma_{c,k} \times t_s \times H = 105 \frac{kN}{m}$$

wall base $W_{base,Gk} = \gamma_{c,k} \times t_b \times B = 78 \frac{kN}{m}$

Characteristic total self-weight of wall is:

$$W_{wall,Gk} = W_{stem,Gk} + W_{base,Gk} = 183 \frac{kN}{m}$$

Characteristic total self-weight of backfill is:

$$W_{fill,Gk} = \gamma_k \times b_{heel} \times \frac{(H + h_f)}{2} = 274 \frac{kN}{m}$$

Characteristic total self-weight of wall including backfill is then:

$$W_{Gk} = W_{wall,Gk} + W_{fill,Gk} = 457 \frac{kN}{m}$$

Characteristic surcharge (variable) is:

 $q_{Qk} = p_k = 5 \, kPa$

$$Q_{Qk} = q_{Qk} \times b_{heel} = 11.3 \frac{kN}{m}$$

Characteristic active earth pressure coefficient (for calculating inclined thrust) is:

$$K_{\alpha\beta,k} = \left(\frac{\cos(\beta) - \sqrt{\cos(\beta)^2 - \cos(\varphi_k)^2}}{\cos(\beta) + \sqrt{\cos(\beta)^2 - \cos(\varphi_k)^2}}\right) \times \cos(\beta) = 0.365$$

Equivalent coefficient for calculating horizontal thrust is: $K_{ah,k} = K_{a\beta,k} \cos(\beta) = 0.343$

Characteristic inclined thrust (at angle eta to the horizontal) from earth pressure on back of virtual plane is: from ground $E_{a,Gk} = K_{a\beta,k} \times \left(\frac{1}{2}\gamma_k H_{heel}^2\right) = 201 \frac{kN}{m}$ from surcharge $E_{a,Qk} = K_{a\beta,k} \times q_{Qk} \times H_{heel} = 13.9 \frac{kN}{m}$ total $E_{a,k} = E_{a,Gk} + E_{a,Qk} = 214.9 \frac{kN}{m}$ Horizontal component of characteristic thrust is then: $H_{Ek} = E_{a,k} \cos(\beta) = 202 \frac{kN}{m}$ Vertical (normal) component of characteristic weight and thrust: $N_{Ek} = W_{Gk} + E_{a,k} \sin(\beta) = 530.5 \frac{kN}{m}$ <u>Moments about wall toe</u> Characteristic overturning moments (destabilizing) about wall toe: from ground $M_{Gk} = E_{a,Gk} \times \left(\frac{1}{3}H_{heel}\cos(\beta) - B\sin(\beta)\right) = 211.6\frac{kNm}{m}$ from surcharge $M_{Qk} = E_{a,Qk} \times \left(\frac{1}{2}H_{heel}\cos(\beta) - B\sin(\beta)\right) = 31.2 \frac{kNm}{m}$ Total characteristic destabilising moment is: $M_{dst,k} = M_{Gk} + M_{Qk} = 242.8 \frac{kNm}{m}$ Characteristic restoring moments (stabilizing) about wall toe: from wall stem $M_{stem,Gk} = W_{stem,Gk} \times \left(b_{t} + \frac{t_{s}}{2}\right) = 136.5 \frac{kNm}{m}$ from wall base $M_{base,Gk} = W_{base,Gk} \times \frac{B}{2} = 152.1 \frac{kNm}{m}$ from backfill $M_{fill,Gk} = \gamma_k \times b_{heel} \times \left| H \times \left(B - \frac{b_{heel}}{2} \right) + \left(\frac{h_f - H}{2} \right) \times \left(B - \frac{b_{heel}}{3} \right) \right| = 766.9 \frac{kNm}{m}$ Total characteristic stabilising moment is: $M_{stb,k} = M_{stem,Gk} + M_{base,Gk} + M_{fill,Gk} = 1055.5 \frac{kNm}{m}$ Line of action of resultant force is a distance from the toe: $x = \left(\frac{M_{stb}, k^{-M} dst, k}{N_{EL}}\right) = 1.53 m$ Eccentricity of actions from centre line of base is: $e_{k} = \frac{B}{2} - x = 0.42 \text{ m}$ Effective width of base is then: $B' = B - 2e_k = 3.06 \text{ m}$ Bearing resistance Characteristic bearing capacity factors: $N_{q,k} = e^{\pi \tan(\varphi_k)} \times \left(\tan\left(45^\circ + \frac{\varphi_k}{2}\right) \right)^2 = 24.6$ $N_{\gamma,k} = 2(N_{q,k}-1) \times \tan(\varphi_k) = 30.1$ (in DEU, use $N_{b,k} = (N_{q,k}-1) \times \tan(\varphi_k) = 15.0$)

Characteristic shape factors (for an infinitely long footing): $s_q = 1.0$ and $s_\gamma = 1.0$ Characteristic inclination factors: (using $m_B = 2$ for an infinitely long footing)

$$i_{q} = \left(1 - \frac{H_{Ek}}{N_{Ek} + Ac'_{k}cot(\varphi_{k})}\right)^{m_{B}} = 0.38 \text{ and } i_{\gamma} = i_{q}\frac{\frac{m_{B}+1}{m_{B}}}{m_{B}} = 0.24$$

Characteristic bearing resistance (in terms of stress/pressure) is:

from overburden $q_{Rvq,k} = \gamma_k \times d \times N_{q,k} \times s_q \times i_q = 143.3 \text{ kPa}$

from body-mass
$$q_{RV\gamma,k} = \frac{1}{2}B' \times \gamma_k \times N_{\gamma,k} \times s_{\gamma} \times i_{\gamma} = 207.8 \text{ kPa}$$

total $q_{Rv,k} = q_{Rvq,k} + q_{Rv\gamma,k} = 351.1 \text{ kPa}$

Characteristic bearing resistance (in terms of force) is:

$$N_{Rk} = q_{Rv,k} \times B' = 1076 \frac{kN}{m}$$

Verificiations

Verification of resistance to sliding Partial factors from Set A1: $\gamma_{{\it G}}=1.35$, $\gamma_{{\it G},{\it fav}}=1$, and $\gamma_{{\it Q}}=1.5$ Design thrust (at angle β to the horizontal) from earth pressure on back of virtual plane is: from ground $E_{a,Gd} = \gamma_G \times E_{a,Gk} = 271.4 \frac{kN}{m}$ from surcharge $E_{a,Qd} = \gamma_Q \times E_{a,Qk} = 20.8 \frac{kN}{m}$ total $E_{a,d} = E_{a,Gd} + E_{a,Qd} = 292.2 \frac{kN}{m}$ Horizontal component of design thrust is then: $H_{Ed} = E_{a,d} \cos(\beta) = 274.6 \frac{kN}{m}$ Vertical (normal) component of design weight and thrust: $N_{Ed} = \gamma_G W_{Gk} + E_{a,d} \sin(\beta) = 716.9 \frac{kN}{m}$ Partial factors from Set R2: $\gamma_{Rh} = 1.1$ For cast-in-place concrete, interface friction angle is k = 1 times the constant-volume angle of shearing Assume $\varphi_{cv,k} = 30^{\circ}$ $\delta_{\mathbf{k}} = \mathbf{k} \times \phi_{\mathbf{cv},\mathbf{k}} = 30^{\circ}$ Design sliding resistance (drained), ignoring adhesion (as required by EN 1997-1 exp. 6.3a) $H_{Rd} = \frac{\gamma_{G, fav} \times N_{Ek} \times tan(\delta_k)}{\gamma_{Rh}} = 278.4 \frac{kN}{m}$ 'Degree of utilization' $\Lambda = \frac{H_{Ed}}{H_{Pd}} = 99\%$ or 'Overdesign factor' $ODF = \frac{H_{Rd}}{H_{Ed}} = 1.01$ The design is unacceptable if the degree of utilization is > 100% (or overdesign factor is < 1) Verification of bearing resistance Partial factor from Set R2: $\gamma_{Rv} = 1.4$ Design bearing resistance is: $N_{Rd} = \frac{N_{Rk}}{\gamma_{Rd}} = 768.4 \frac{kN}{m}$ Design thrust (at angle β to the horizontal) from earth pressure on back of virtual plane is: $N_{Ed} = 716.9 \frac{KN}{m}$ 'Degree of utilization' $\Lambda = \frac{N_{Ed}}{N_{Pd}} = 93\%$ or 'Overdesign factor' $ODF = \frac{N_{Rd}}{N_{Ed}} = 1.07$

The design is unacceptable if the degree of utilization is > 100% (or overdesign factor is < 1)

<u>Verification of resistance to toppling</u> Design de-stabilizing moment is:

$$\mathbf{M}_{\mathsf{Ed},\mathsf{dst}} = \left(\gamma_{\mathbf{G}} \times \mathbf{M}_{\mathbf{Gk}}\right) + \left(\gamma_{\mathbf{Q}} \times \mathbf{M}_{\mathbf{Qk}}\right) = 332 \frac{\mathsf{kN}\,\mathsf{m}}{\mathsf{m}}$$

Design stabilizing moment is (approximately):

$$M_{Ed,stb} = \gamma_{G,fav} \times M_{stb,k} = 1056 \frac{kNm}{m}$$

'Degree of utilization' $\Lambda = \frac{M_{Ed,dst}}{M_{Ed,stb}} = 31\% \text{ or 'C}$	Overdesign factor' $ODF = \frac{M_{Ed,stb}}{M_{Ed,dst}} = 3.17$
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The design is unacceptable if the degree of utilization is > 100% (or overdesign factor is < 1)